## AP* Chemistry <br> Stoichiometry

## ATOMIC MASSES

- ${ }^{12} \mathbf{C}$-Carbon 12-In 1961 it was agreed that this isotope of carbon would serve as the standard used to determine all other atomic masses and would be defined to have a mass of EXACTLY 12 atomic mass units (amu). All other atomic masses are measured relative to this.
- mass spectrometer-a device for measuring the mass of atoms or molecules

o atoms or molecules are passed into a beam of high-speed electrons
o this knocks electrons OFF the atoms or molecules transforming them into cations
o apply an electric field
o this accelerates the cations since they are repelled from the $(+)$ pole and attracted toward the $(-)$ pole
o send the accelerated cations into a magnetic field
o an accelerated cation creates it's OWN magnetic field which perturbs the original magnetic field
o this perturbation changes the path of the cation
o the amount of deflection is proportional to the mass; heavy cations deflect little
o ions hit a detector plate where measurements can be obtained.
o $\frac{\text { Mass }{ }^{13} \mathrm{C}}{\text { Mass }^{12} \mathrm{C}}=1.0836129 \therefore$ Mass $^{13} \mathrm{C}=(1.0836129)(12 \mathrm{amu})=13.003355 \mathrm{amu}$
- average atomic masses-atoms have masses of whole numbers, HOWEVER samples of quadrillions of atoms have a few that are heavier or lighter [isotopes] due to different numbers of neutrons present
- percent abundance--percentage of atoms in a natural sample of the pure element represented by a particular isotope
percent abundance $=\frac{\text { number of atoms of a given isotope }}{\text { Total number of atoms of all isotopes of that element }} \times 100 \%$
- counting by mass-when particles are small this is a matter of convenience. Just as you buy 5 lbs of sugar rather than a number of sugar crystals, or a pound of peanuts rather than counting the individual peanuts....this concept works very well if your know an average mass.

[^0]- mass spectrometer to determine isotopic composition-load in a pure sample of natural neon or other substance. The areas of the "peaks" or heights of the bars indicate the relative abundances of ${ }_{10}^{20} \mathrm{Ne}$, ${ }_{10}^{21} \mathrm{Ne}$, and ${ }_{10}^{22} \mathrm{Ne}$




## Exercise 1 The Average Mass of an Element

When a sample of natural copper is vaporized and injected into a mass spectrometer, the results shown in the figure are obtained. Use these data to calculate the average mass of natural copper. (The mass values for ${ }^{63} \mathrm{Cu}$ and ${ }^{65} \mathrm{Cu}$ are 62.93 amu and 64.93 amu , respectively.)


Mass number

## THE MOLE

- mole - the number of C atoms in exactly 12.0 grams of ${ }^{12} \mathrm{C}$; also a number, $6.02 \times 10^{23}$ just as the word "dozen" means 12 and "couple" means 2.
- Avogadro's number- $6.02 \times 10^{23}$, the number of particles in a mole of anything

DIMENSIONAL ANALYSIS DISCLAIMER: I will show you some alternatives to dimensional analysis. WHY? First, some of these techniques are faster and well-suited to the multi-step problems you will face on the AP Exam. Secondly, these techniques better prepare you to work the complex equilibrium problems you will face later in this course. Lastly, I used to teach both methods. Generations of successful students have encouraged me to share these techniques with as many students as possible. They themselves did, once they got to college, and made lots of new friends once word got out they had this "easy way" to solve stoichiometry problems-not to mention their good grades! Give this a try. It doesn't matter which method you use, I encourage you to use the method that works best for you and lets you solve problems accurately and quickly!

## ALTERNATE TECHNIQUE \#1—USING THE MOLE MAP:

Simply reproduce this map on your scratch paper until you no longer need to since the image will be burned into your brain!

MULTIPLY [by the conversion factor on the arrow] when "traveling" IN THE DIRECTION OF THE ARROW and obviously, divide when "traveling" against an arrow.


## Exercise 2 Determining the Mass of a Sample of Atoms

Americium is an element that does not occur naturally. It can be made in very small amounts in a device known as a particle accelerator. Calculate the mass in grams of a sample of americium containing six atoms.

## Exercise 3 Determining Moles of Atoms

Aluminum is a metal with a high strength-to-mass ratio and a high resistance to corrosion; thus it is often used for structural purposes. Calculate both the number of moles of atoms and the number of atoms in a $10.0-\mathrm{g}$ sample of aluminum.
0.371 mol Al $2.23 \times 10^{23}$ atoms

## Exercise 4 <br> Calculating the Number of Moles and Mass

Cobalt $(\mathrm{Co})$ is a metal that is added to steel to improve its resistance to corrosion. Calculate both the number of moles in a sample of cobalt containing $5.00 \times 10^{20}$ atoms and the mass of the sample.

## MOLAR MASS AND FORMULA WEIGHT

- molar mass, $\boldsymbol{M} \boldsymbol{M}$--the sum of all of the atomic masses in a given chemical formula in units of $\mathrm{g} / \mathrm{mol}$. It is also equal mass in grams of Avogadro's number of molecules; i.e. the mass of a mole
- empirical formula--the ratio in the network for an ionic substance
- formula weight--same as molecular weight, just a language problem "molecular" implies covalent bonding while "formula" implies ionic bonding \{just consider this to be a giant conspiracy designed to keep the uneducated from ever understanding chemistry-kind of like the scoring scheme in tennis $\}$. Just use "molar mass" for all formula masses.
- A WORD ABOUT SIG. FIG.'s-It is correct to "pull" from the periodic table the least number of sig. figs for your MM's as are in your problem - just stick with 2 decimal places for all MM's -much simpler!


## Exercise 5 <br> Calculating Molar Mass I

Juglone, a dye known for centuries, is produced from the husks of black walnuts. It is also a natural herbicide (weed killer) that kills off competitive plants around the black walnut tree but does not affect grass and other noncompetitive plants [a concept called allelopathy]. The formula for juglone is $\mathrm{C}_{10} \mathrm{H}_{6} \mathrm{O}_{3}$.
(a) Calculate the molar mass of juglone.
(b) A sample of $1.56 \times 10^{-2} \mathrm{~g}$ of pure juglone was extracted from black walnut husks. Calculate the number of moles of juglone present in this sample.
a. 174.1 g
b. $8.96 \times 10^{-5} \mathrm{~mol}$ juglone

## Exercise $6 \quad$ Calculating Molar Mass II

Calcium carbonate $\left(\mathrm{CaCO}_{3}\right)$, also called calcite, is the principal mineral found in limestone, marble, chalk, pearls, and the shells of marine animals such as clams.
(a) Calculate the molar mass of calcium carbonate.
(b) A certain sample of calcium carbonate contains 4.86 moles. Calculate the mass in grams of this sample.

Calculate the mass of the $\mathrm{CO}_{3}{ }^{2-}$ ions present.
a. 486 g
b. $60.01 \mathrm{~g} / \mathrm{mol} ; 292 \mathrm{~g} \mathrm{CO}_{3}{ }^{\mathbf{2 -}}$

Exercise 7 Molar Mass and Numbers of Molecules
Isopentyl acetate $\left(\mathrm{C}_{7} \mathrm{H}_{14} \mathrm{O}_{2}\right)$, the compound responsible for the scent of bananas, can be produced commercially. Interestingly, bees release about $1 \mu \mathrm{~g}\left(1 \times 10^{-6} \mathrm{~g}\right)$ of this compound when they sting. The resulting scent attracts other bees to join the attack.
(a) Calculate the number of molecules of isopentyl acetate released in a typical bee sting.
(b) Calculate the number of carbon atoms present.

## ELEMENTS THAT EXIST AS MOLECULES

Pure hydrogen, nitrogen, oxygen and the halogens exist as DIATOMIC molecules under normal conditions. MEMORIZE!!! Be sure you compute their molar masses as diatomics. We lovingly refer to them as the "gens", "Hydrogen, oxygen, nitrogen \& the halogens!"

Others to be aware of, but not memorize:

- $\mathrm{P}_{4}$-tetratomic form of elemental phosphorous; an allotrope
- $\mathrm{S}_{8}$-sulfur's elemental form; also an allotrope
- Carbon-diamond and graphite covalent networks of atoms


## PERCENT COMPOSITION OF COMPOUNDS

There are two common ways of describing the composition of a compound: 1) in terms of the number of its constituent atoms and 2 ) in terms of the percentages (by mass) of its elements.

Percent Composition (by mass): The Law of Constant Composition states that any sample of a pure compound always consists of the same elements combined in the same proportions by mass. Remember, all percent calculations are simply $\frac{\text { part }}{\text { whole }} \times 100 \%$

$$
\% \text { comp }=\frac{\text { mass of desired element }}{\text { total mass of compound }} \times 100 \%
$$

Consider ethanol, $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$

$$
\begin{aligned}
& \text { Mass } \% \text { of } \mathrm{C}=2 \mathrm{~mol} \times 12.01 \frac{\mathrm{~g}}{\mathrm{~mol}}=24.02 \mathrm{~g} \\
& \text { Mass } \% \text { of } \mathrm{H}=6 \mathrm{~mol} \times 1.01 \frac{\mathrm{~g}}{\mathrm{~mol}}=6.06 \mathrm{~g} \\
& \text { Mass } \% \text { of } \mathrm{O}=1 \mathrm{~mol} \times 16.00 \frac{\mathrm{~g}}{\mathrm{~mol}}=\underline{16.00 \mathrm{~g}} \\
& \text { Mass of } 1 \mathrm{~mol} \text { of } \mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}=46.08 \mathrm{~g}
\end{aligned}
$$

Mass percent of $\mathrm{C}=\underline{24.02 \mathrm{~g} \mathrm{C}} \times 100 \%=52.14 \%$ 46.08 g

Repeat for the H and O present.

## Exercise 8 <br> Calculating Mass Percent I

Carvone is a substance that occurs in two forms having different arrangements of the atoms but the same molecular formula $\left(\mathrm{C}_{10} \mathrm{H}_{14} \mathrm{O}\right)$ and mass. One type of carvone gives caraway seeds their characteristic smell, and the other type is responsible for the smell of spearmint oil. Calculate the mass percent of each element in carvone.

$$
\begin{aligned}
& \mathrm{C}=79.96 \% \\
& \mathrm{H}=\mathbf{9 . 3 9 4 \%} \\
& \mathrm{O}=\mathbf{1 0 . 6 5 \%}
\end{aligned}
$$

## Exercise 9 <br> Calculating Mass Percent II

Penicillin, the first of a now large number of antibiotics (antibacterial agents), was discovered accidentally by the Scottish bacteriologist Alexander Fleming in 1928, but he was never able to isolate it as a pure compound. This and similar antibiotics have saved millions of lives that might have been lost to infections. Penicillin F has the formula $\mathrm{C}_{14} \mathrm{H}_{20} \mathrm{~N}_{2} \mathrm{SO}_{4}$. Calculate the mass percent of each element.

## DETERMINING THE FORMULA OF A COMPOUND



When faced with a hydrocarbon compound of "unknown" formula, one of the most common techniques is to combust it with oxygen to produce oxides of the nonmetals $\mathrm{CO}_{2}$ and $\mathrm{H}_{2} \mathrm{O}$ which are then collected and weighed.

- Calculating empirical and molecular formulas: empirical formulas represent the simplest or smallest ratio of elements within a compound while molecular formulas represent the actual numbers of elements within a compound. The empirical mass is the least common multiple of the molar mass.

Example: $\mathrm{CH}_{2} \mathrm{O}$ is the empirical for a carbohydrate-get it? "carbon waters".
Anyway, glucose is a perfect example of a carbohydrate (a sugar to be exact) with an empirical molar mass of $12+2(1)+16=30 \mathrm{~g} / \mathrm{mol}$ and since glucose is 6 units of $\mathrm{CH}_{2} \mathrm{O}$ which is equivalent to $\left(\mathrm{CH}_{2} \mathrm{O}\right)_{6}$ or $\mathrm{C}_{6} \mathrm{H}_{12} \mathrm{O}_{6}$; the empirical mass of 30 is also multiplied by 6 . Thus the MM of glucose is $180 \mathrm{~g} / \mathrm{mol}$.

- Make your problem solving life easy and assume a 100 gram sample if given \%'s-that way you can convert the percents given directly into grams and subsequently into moles in order to simplify your life!

Other twists and turns occurring when calculating molar masses involve:

- hydrates-waters of hydration or "dot waters". They count in the calculation of molar masses for hydrates and used to "cement" crystal structures together
- anhydrous-means without water-just to complete the story-just calculate the molar masses of anhydrous substances as you would any other substance


## Example:

A compound is composed of carbon, nitrogen and hydrogen. When $\mathbf{0 . 1 1 5 6} \mathbf{g}$ of this compound is reacted with oxygen [a.k.a. "burned in air" or "combusted"], 0.1638 g of carbon dioxide and 0.1676 g of water are collected. Determine the empirical formula of the compound.

So, Compound $+\mathrm{O}_{2} \rightarrow$ oxides of what is burned. In this case Compound $+\mathrm{O}_{2} \rightarrow \mathrm{CO}_{2}+\mathrm{H}_{2} \mathrm{O}+\mathrm{N}_{2}$ (clearly not balanced)

You can see that all of the carbon ended up in $\mathrm{CO}_{2}$ so...when in doubt, calculate THE NUMBER OF MOLES!!
$0.1638 \mathrm{~g} \mathrm{CO}_{2} \div 44.01 \mathrm{~g} / \mathrm{mol} \mathrm{CO}_{2}=0.003781$ moles of $\mathrm{CO}_{2}=0.003781$ moles of C (why?)

Next, you can see that all of the hydrogen ended up in $\mathrm{H}_{2} \mathrm{O}$, so....calculate THE NUMBER OF MOLES!!
So, $0.1676 \mathrm{~g} \mathrm{H}_{2} \mathrm{O} \div 18.02 \mathrm{~g} / \mathrm{mol} \mathrm{H}_{2} \mathrm{O}=0.009301$ moles of $\mathrm{H}_{2} \mathrm{O}$, BUT there are 2 moles of H for each mole of water [ Think "organ bank" one heart per body, one C per molecule of carbon dioxide while there are 2 lungs per body, 2 atoms H in water and so on...] thus, DOUBLE THE NUMBER OF MOLES of $\mathrm{H}_{2} \mathrm{O}$ GIVES THE NUMBER OF MOLES OF HYDROGEN!! moles $\mathrm{H}=2 \times 0.009301$ moles of $\mathrm{H}_{2} \mathrm{O}=0.01860$ moles of H

Therefore, the remaining mass must be nitrogen, BUT we only have mass data for the sample so convert your moles of C and H to grams:
grams $\mathrm{C}=0.003781$ moles $\mathrm{C} \times 12.01 \frac{\mathrm{~g}}{\mathrm{~mol}}=0.04540$ grams C
grams $\mathrm{H}=0.01860$ moles $\mathrm{H} \times 1.01 \frac{\mathrm{~g}}{\mathrm{~mol}}=\underline{0.01879 \text { grams } \mathrm{H}}$
Total grams: 0.06419 total grams accounted for thus far
What to do next? SUBTRACT!
0.1156 g sample $\mathbf{- 0 . 0 6 4 1 9}$ total grams accounted for thus far $=$ grams N left $=0.05141 \mathrm{~g} \mathrm{~N}$ so....
$0.05141 \mathrm{~g} \mathrm{~N} \div 14.01 \frac{\mathrm{~g}}{\mathrm{~mol}}=\mathbf{0 . 0 0 3 6 7 0}$ moles $\mathbf{N}$
Next, realize that chemical formulas represent mole to mole ratios, so... divide the number of moles of each by the smallest \# of moles for any one of them to get a guaranteed ONE in your ratios...multiply by 2 , then 3 , etc to get to a ratio of small whole numbers. Clear as mud? WATCH THE SCREENCAST!!

| Element | \# moles | ALL Divided by the <br> smallest $(0.003670$ <br> moles $)$ |
| :--- | :--- | :--- |
| $\mathbf{C}$ | $\mathbf{0 . 0 0 3 7 8 1}$ | $\mathbf{1}$ |
| $\mathbf{H}$ | $\mathbf{0 . 0 1 8 6 0}$ | $\mathbf{5}$ |
| $\mathbf{N}$ | $\mathbf{0 . 0 0 3 6 7 0}$ | $\mathbf{1}$ |

Therefore, the correct EMPIRICAL formula based on the data given is $\mathrm{CH}_{5} \mathrm{~N}$.
Finally (this is drumroll worthy), IF we are told that the MM of the original substance is $31.06 \mathrm{~g} / \mathrm{mol}$, then simply use this relationship:
(Empirical mass) $\times n=M M$
$(12.01+5.05+14.01) \times n=31.07 \mathrm{~g} / \mathrm{mol} \therefore n=0.999678$
This is mighty close to 1.0 ! Thus, the empirical formula and the molecular formula are one and the same.

## Empirical Formula Determination

- Since mass percentage gives the number of grams of a particular element per 100 grams of compound, base the calculation on 100 grams of compound. Each percent will then represent the mass in grams of that element.
- Determine the number of moles of each element present in 100 grams of compound using the atomic masses of the elements present.
- Divide each value of the number of moles by the smallest of the values. If each resulting number is a whole number (after appropriate rounding), these numbers represent the subscripts of the elements in the empirical formula.
- If the numbers obtained in the previous step are not whole numbers, multiply each number by an integer so that the results are all whole numbers.


## Exercise 10

Determine the empirical and molecular formulas for a compound that gives the following analysis in mass percents:

$$
71.65 \% \mathrm{C} 1 \quad 24.27 \% \mathrm{C} \quad 4.07 \% \mathrm{H}
$$

The molar mass is known to be $98.96 \mathrm{~g} / \mathrm{mol}$.

## Exercise 11

A white powder is analyzed and found to contain $43.64 \%$ phosphorus and $56.36 \%$ oxygen by mass. The compound has a molar mass of $283.88 \mathrm{~g} / \mathrm{mol}$. What are the compound's empirical and molecular formulas?

## Exercise 12

Caffeine, a stimulant found in coffee, tea, and chocolate, contains $49.48 \%$ carbon, $5.15 \%$ hydrogen, $28.87 \%$ nitrogen, and $16.49 \%$ oxygen by mass and has a molar mass of $194.2 \mathrm{~g} / \mathrm{mol}$. Determine the molecular formula of caffeine.

## BALANCING CHEMICAL EQUATIONS

Chemical reactions are the result of a chemical change where atoms are reorganized into one or more new arrangements. Bonds are broken [requires energy] and new ones are formed [releases energy]. A chemical reaction transforms elements and compounds into new substances. A balanced chemical equation shows the relative amounts of reactants [on the left] and products [on the right] by molecule or by mole.

## Subtle details:

- s, l, $g, a q$-state symbols that correspond to solid, liquid, gas, aqueous solution
- NO ENERGY or TIME is alluded to

|  | State |
| :--- | :---: |
| Solid | $(s)$ |
| Liquid | $(l)$ |
| Gas | $(g)$ |
| Dissolved in water (in aqueous solution) | $(a q)$ |

- Antoine Lavoisier (1743-1794)-The Law of Conservation of Matter: matter can be neither created nor destroyed this means you having to "balance equations" is entirely his fault!!


## BALANCING CHEMICAL EQUATIONS

- Begin with the most complicated-looking thing (often the scariest, too).
- Save the elemental thing for last.
- If you get stuck, double the most complicated-looking thing.
- MEMORIZE THE FOLLOWING:
- metals + halogens $\rightarrow \mathrm{M}_{\mathrm{a}} \mathrm{X}_{\mathrm{b}}$
- $\quad \mathrm{CH}$ and/or $\mathrm{O}+\mathrm{O}_{2} \rightarrow \# \mathrm{CO}_{2}(\mathrm{~g})+\mathrm{H}_{2} \mathrm{O}(\mathrm{g})$
- $\quad \mathrm{H}_{2} \mathrm{CO}_{3}$ [any time formed!] $\rightarrow \mathrm{CO}_{2}+\mathrm{H}_{2} \mathrm{O}$; in other words, never write carbonic acid as a product, it spontaneously decomposes [in an open container] to become carbon dioxide and water
- metal carbonates $\rightarrow$ metal OXIDES $+\mathrm{CO}_{2}$


## Table 3.2 Information Conveyed by the Balanced Equation for the Combustion of Methane

| Reactants | $\longrightarrow$ | Products |
| :---: | :---: | :---: |
| $\mathrm{CH}_{4}(\mathrm{~g})+2 \mathrm{O}_{2}(\mathrm{~g})$ |  | $\mathrm{CO}_{2}(\mathrm{~g})+2 \mathrm{H}_{2} \mathrm{O}(\mathrm{g})$ |
| 1 molecule $\mathrm{CH}_{4}$ |  | 1 molecule $\mathrm{CO}_{2}$ |
| +2 molecules $\mathrm{O}_{2}$ |  | +2 molecules $\mathrm{H}_{2} \mathrm{O}$ |
| $1 \mathrm{~mol} \mathrm{CH}_{4}$ molecules |  | 1 mol CO 2 molecules |
| $+2 \mathrm{~mol} \mathrm{O}_{2}$ molecules |  | $+2 \mathrm{~mol} \mathrm{H}_{2} \mathrm{O}$ molecules |
| $6.022 \times 10^{23} \mathrm{CH}_{4}$ molecules |  | $6.022 \times 10^{23} \mathrm{CO}_{2}$ molecules |
| $+2\left(6.022 \times 10^{23}\right) \mathrm{O}_{2}$ molecules |  | $+2\left(6.022 \times 10^{23}\right) \mathrm{H}_{2} \mathrm{O}$ molecules |
| $16 \mathrm{~g} \mathrm{CH}_{4}+2(32 \mathrm{~g}) \mathrm{O}_{2}$ | $\longrightarrow$ | $44 \mathrm{~g} \mathrm{CO}_{2}+2(18 \mathrm{~g}) \mathrm{H}_{2} \mathrm{O}$ |
| 80 g reactants | $\longrightarrow$ | 80 g products |

## Exercise 13

Chromium compounds exhibit a variety of bright colors. When solid ammonium dichromate, $\left(\mathrm{NH}_{4}\right)_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}$, a vivid orange compound, is ignited, a spectacular reaction occurs. Although the reaction is actually somewhat more complex, let's assume here that the products are solid chromium(III) oxide, nitrogen gas (consisting of $\mathrm{N}_{2}$ molecules), and water vapor. Balance the equation for this reaction.
$\left(\mathrm{NH}_{4}\right)_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}(\mathrm{~s}) \rightarrow \mathrm{Cr}_{2} \mathrm{O}_{3}(\mathrm{~s})+\mathrm{N}_{2}(\mathrm{~g})+4 \mathrm{H}_{2} \mathrm{O}(\mathrm{g})$
$(4 \times 2) \mathrm{H} \quad(4 \times 2) \mathrm{H}$
http://www.youtube.com/watch?v=CW4hN0dYnkM

## Exercise 14

At $1000^{\circ} \mathrm{C}$, ammonia gas, $\mathrm{NH}_{3}(\mathrm{~g})$, reacts with oxygen gas to form gaseous nitric oxide, $\mathrm{NO}(\mathrm{g})$, and water vapor. This reaction is the first step in the commercial production of nitric acid by the Ostwald process. Balance the equation for this reaction.

Stoichiometry - The study of quantities of materials consumed and produced in chemical reactions. Stoichiometry is the most important thing you can learn as you embark upon AP Chemistry! Get good at this and you will do well all year. This NEVER goes away!

It's time to repeat my dimensional analysis disclaimer.

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First you have to be proficient at the following no matter which method you choose!:

- Writing CORRECT formulas-this requires knowledge of your polyatomic ions and being able to use the periodic table to deduce what you have not had to memorize. Review section 2.8 in your Chapter 2 notes or your text.
- Calculate CORRECT molar masses from a correctly written formula
- Balance a chemical equation
- Use the mole map to calculate the number of moles or anything else!

Remember the mole map? It will come in mighty handy as well!


Here's the "template" for solving the problems...you'll create a chart. Here's a typical example:
Example: Calculate the mass of oxygen will react completely with 96.1 grams of propane? [notice all words-you supply the chemical formulas!]

| Molar Mass: | (44.11) |  | (32.00) |  |  | (44.01) |  |  | (18.02) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Balanced Eq'n | $\mathrm{C}_{3} \mathrm{H}_{8}$ | $+$ | $5 \mathrm{O}_{2}$ | $\rightarrow$ | 3 | $\mathrm{CO}_{2}$ | $+$ |  | $\mathrm{H}_{2} \mathrm{O}$ |
| mole:mole | 1 |  | 5 |  |  | 3 |  |  | 4 |
| \# moles <br> Amount |  |  |  |  |  |  |  |  |  |

1. Write a chemical equation paying special attention to writing correct chemical formulas!
2. Calculate the molar masses and put in parentheses above the formulas-soon you'll figure out you don't have to do this for every reactant and product, just those in which you are interested.
3. Balance the equation! Examine the coefficients on the balanced equation, they ARE the mole:mole ratios! Isolating them helps you internalize the mol:mol until you get the hang of this.
4. Next, re-read the problem and put in an amount-in this example it's 96.1 g of propane.

5. Calculate the number of moles of something, anything! Use the mole map. Start at 96.1 grams of $\mathrm{C}_{3} \mathrm{H}_{8}$, divide the 96.1 g [against the arrow on the mole map] by molar mass to calculate the \# moles of propane.
6. USE the mole: mole to find moles of EVERYTHING! If $1=2.18$ then oxygen is $5(2.18)$ etc.... [IF the first mol amount you calculate is not a " 1 ", just divide appropriately to make it " 1 " before moving on to calculate the moles of all the rest!] Leave everything in your calculator-I only rounded to save space!
7. Re-read the problem to determine which amount was asked for...here's the payoff....AP problems ask for several amounts! First, we'll find the mass of oxygen required since that's what the problem asked. 31.95 moles $\times 44.01 \mathrm{~g} / \mathrm{mol}=349 \mathrm{~g}$ of oxygen

Now, humor me...What if part (b) asked for liters of $\mathrm{CO}_{2}$ at STP [1 atm, 273K]?
Use the mole map. Start in the middle with 6.53 moles $\times$ [in direction of arrow] $22.4 \mathrm{~L} / \mathrm{mol}=146 \mathrm{~L}$


What if part (c) asked you to calculate how many water molecules are produced?
Use the mole map, start in the middle with 8.71 mol water $\times 6.02 \times 10^{23} \frac{\mathrm{molecules}}{\mathrm{mol}}=5.24 \times 10^{24}$ molecules of water.

Try these two exercises with whichever method you like best!

## Exercise 15

Solid lithium hydroxide is used in space vehicles to remove exhaled carbon dioxide from the living environment by forming solid lithium carbonate and liquid water. What mass of gaseous carbon dioxide can be absorbed by 1.00 kg of lithium hydroxide?

## Exercise 16

Baking soda $\left(\mathrm{NaHCO}_{3}\right)$ is often used as an antacid. It neutralizes excess hydrochloric acid secreted by the stomach:

$$
\mathrm{NaHCO}_{3}(s)+\mathrm{HCl}(a q) \rightarrow \mathrm{NaC1}(a q)+\mathrm{H}_{2} \mathrm{O}(\mathrm{l})+\mathrm{CO}_{2}(a q)
$$

Milk of magnesia, which is an aqueous suspension of magnesium hydroxide, is also used as an antacid:

$$
\mathrm{Mg}(\mathrm{OH})_{2}(\mathrm{~s})+2 \mathrm{HCl}(a q) \rightarrow 2 \mathrm{H}_{2} \mathrm{O}(\mathrm{l})+\mathrm{MgCl}_{2}(a q)
$$

Which is the more effective antacid per gram, $\mathrm{NaHCO}_{3}$ or $\mathrm{Mg}(\mathrm{OH})_{2}$ ? Justify your answer.

## CALCULATIONS INVOLVING A LIMITING REACTANT

Ever notice how hot dogs are sold in packages of 10 while the buns come in packages of 8 ? What's up with that?! The bun is the limiting reactant and limits the hot dog production to 8 as well! The limiting reactant [or reagent] is the one consumed most entirely in the chemical reaction.

Let's use a famous process [meaning one the AP exam likes to ask questions about!], the Haber process. This reaction is essentially making ammonia for fertilizer production from the nitrogen in the air reacted with hydrogen gas. The hydrogen gas is obtained from the reaction of methane with water vapor. This process has saved millions from starvation!! The reaction is shown below.

## Exercise17

Examine the particle views and explain the differences between the two situations pictured below with regard to what is or is not reacting and total yield of ammonia.

$$
\mathrm{N}_{2}(g)+3 \mathrm{H}_{2}(g) \rightarrow 2 \mathrm{NH}_{3}(g)
$$



Plan of attack: First, you'll know you when you even need a plan of attack! IF ever you are faced with TWO starting amounts of matter reacting, you have entered "The Land of Limiting Reactant".

When faced with this situation ...calculate the number of moles of everything you are given. Set up your table like before, only now you'll have TWO amounts and thus TWO \# 's of moles to get you started.

Cover one set of moles up (pretending you only had one amount to work from) and ask yourself, "What if all of these moles reacted?" "How many moles of the other reactants would I need to use up all of these moles?" Next, do the calculation of how many moles of the "other" amount(s) you would need. Do you have enough? If so, the reactant you began with IS the limiting reactant. If not repeat this process with the "other" reactant amount you were given.

It doesn't matter where you start the "What if?" game....you get there either way.
Clear as mud? Read on...(and consider listening to the SCREENCAST!)

Let's revisit the Haber process:

| Molar Mass: | $(28.04)$ |
| :--- | :---: | :--- | :---: | :---: | :---: |
| Balanced Eq'n | $\mathrm{N}_{2}$ |$+$| $(2.02)$ |  |  |
| :---: | :---: | :---: |
|  |  |  |
| mole:mole | $\mathbf{1}$ |  |
| $\mathrm{H}_{2}$ | $\rightarrow$ | $(17.04)$ <br> $2 \mathrm{NH}_{3}$ |
| \# moles |  |  |
| amount |  |  |

Suppose 25.0 kg of nitrogen reacts with 5.00 kg of hydrogen to form ammonia. What mass of ammonia can be produced? Which reactant is the limiting reactant? What is the mass of the reactant that is in excess?
**Insert the masses in the amount row and find the number of moles of BOTH!

| Molar Mass: | (28.02) | (2.02) | (17.04) |
| :---: | :---: | :---: | :---: |
| Balanced <br> Eq'n | $\mathrm{N}_{2}+$ | $3 \mathrm{H}_{2} \rightarrow$ | $2 \mathrm{NH}_{3}$ |
| mole:mole | 1 | 3 | 2 |
| \# moles | 892 moles | 2,475 moles |  |
| amount | 25,000 g | $5,000 \mathrm{~g}$ |  |

WHAT IF I used up all the moles of hydrogen? I'd need $1 / 3 \times 2,475$ moles $=825$ moles of nitrogen. Clearly I have EXCESS moles of nitrogen!! Therefore, hydrogen limits me.

## OR

WHAT IF I used up all the moles of nitrogen? I'd need $3 \times 892$ moles $=2,676$ moles of hydrogen. Clearly I don't have enough hydrogen, so it limits me!! Therefore nitrogen is in excess.

Continued on next page.

Either way, I've established that hydrogen is the limiting reactant so I modify the table:

In English, that means I'll use up all the hydrogen but not all the nitrogen!
Molar Mass:
Balanced Eq'n
mole:mole
\# moles


| $(2.02)$ <br> $\mathrm{H}_{2}$$\rightarrow$ | $(17.04)$ <br> $\mathbf{3}$ |
| :---: | :---: |
|  | $\mathrm{NH}_{3}$ <br>  |
|  | $\mathbf{2}$ <br> produced |

2,475 moles

## amount

$1650 \mathrm{~mol}(17.04)$
$=28,116 \mathrm{~g}$
produced

Here's the question again, let's clean up any sig.fig issues:
Suppose 25.0 kg of nitrogen reacts with 5.00 kg of hydrogen to form ammonia. ( 3 sig . fig. limit)
What mass of ammonia can be produced? $23,100 \mathrm{~g}$ produced $=23.1 \mathrm{~kg}$ (always polite to respond in the unit given.

Which reactant is the limiting reactant? hydrogen-once that's established, chunk the nitrogen amounts and let hydrogen be your guide!

What is the mass of the reactant that is in excess? $1,884 \mathrm{~g}=1.88 \mathrm{~kg}$ excess nitrogen!!

## Exercise 18

Nitrogen gas can be prepared by passing gaseous ammonia over solid copper(II) oxide at high temperatures. The other products of the reaction are solid copper and water vapor. If a sample containing 18.1 g of $\mathrm{NH}_{3}$ is reacted with 90.4 g of CuO , which is the limiting reactant? How many grams of $\mathrm{N}_{2}$ will be formed?

Theoretical Yield: The amount of product formed when a limiting reactant is completely consumed. This assumes perfect conditions and gives a maximum amount!! Not likely!

Actual yield: That which is realistic.
Percent yield: The ratio of actual to theoretical yield.

$$
\frac{\text { Actual Yield }}{\text { Theoretical Yield }} \times 100 \%=\text { Percent yield }
$$

## Exercise 19

Methanol $\left(\mathrm{CH}_{3} \mathrm{OH}\right)$, also called methyl alcohol, is the simplest alcohol. It is used as a fuel in race cars and is a potential replacement for gasoline. Methanol can be manufactured by combination of gaseous carbon monoxide and hydrogen. Suppose $68.5 \mathrm{~kg} \mathrm{CO}(\mathrm{g})$ is reacted with $8.60 \mathrm{~kg} \mathrm{H}_{2}(\mathrm{~g})$. Calculate the theoretical yield of methanol. If $3.57 \times 10^{4} \mathrm{~g} \mathrm{CH}_{3} \mathrm{OH}$ is actually produced, what is the percent yield of methanol?


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